## Loss Aversion and Seller Behavior: Evidence from the Housing Market



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## Outline

$>$ Present findings on loss aversion in the housing market
$>$ Discuss other behavioral models that might apply in the housing market
$>$ Preliminary results on seller adjustments to market shocks (G\&M, ver III- if time permits)

## Loss Aversion

$>$ "Sellers are reluctant to realize a loss on their property"
§ Prospect Theory (Kahneman \& Tversky, 1979)

- Value function has a kink at the origin
- Subjects are twice as sensitive to losses as gains
§ Money Illusion (Shafir, Diamond, \& Tversky 1995)
- Confusion between nominal and real values


## Prospect Theory



## Housing is potentially a good market to look for Loss Aversion

$>$ Most owners are inexperienced in trading houses
$>$ Few professional buyers and sellers
$>$ Arbitrage is expensive
$>$ Role of RE agents???
> Nonetheless, housing is a large and important market
§ \$15 Trillion, or 30-35\% of US household net worth
§ Typical retiree has 4 times as much housing equity as liquid assets

## Loss Aversion may explain (+) correlation between house prices \& trading volume

$>$ Sales volume can vary by as much as 300 percent over the cycle
§ In downturns there is no liquidity
§ Expected time to sale is as much as 4.5 years
$>$ Persistent pattern in US, UK \& French markets
$>$ May apply to other financial markets as well

## Alternative Explanation: Liquidity Constraints

$>$ Housing is a highly leveraged asset
$>$ When house prices fall, homeowners with a high mortgage become "locked-in" (Genesove \& Mayer, AER, 1997)
§ Set higher asking prices
§ Longer "time on the market"
$>$ Problem: liquidity constraints alone do not explain the extreme variations in volume

## Major Findings:

$>$ Potential sellers who are subject to losses set higher ask prices by $25 \%$ to $35 \%$ of the projected loss
$>$ Successful sellers also exhibit loss aversion
§ Higher asking prices of $16 \%-27 \%$ of expected loss
§ Selling prices are higher by $3-18 \%$ of projected loss
§ Tradeoff: lower hazard rate of sale
$>$ Investors also exhibit loss aversion, but to a lesser degree than owner-occupants

## Previous Literature: Loss Aversion

$>$ Theory is based on experimental evidence
$>$ Direct (non-experimental) evidence: stock investors are reluctant to sell their losses
§ US, Israel, Sweden (Odean; Shapiro \& Venezia; Grinblatt \& Keloharju, others...)
§ Portfolio considerations
§ Seller expectations
$>$ Does loss aversion impact "market" prices?

## Data

$>$ Property listings in Boston condominium market
§ 1990-1997
§ Source: LINK- private listing service
§ Original ask price, final selling price (if sold), time on the market
$>$ Deeds records and assessment data
§ 1982-1997
§ Many property attributes
§ Mortgage amounts, all sales and refinacings

## Sample

$>5,792$ listings
$>$ Average property worth $\$ 220,000$ in 1990
$>$ Relatively wealthy, high-income households
$>40 \%$ of units owned by investors

## Condominium Price Index 1988-1997

$1988=100$


## Figure 6 <br> \% that Original Ask Price Exceeds Estimated Value 1990-1997



Figure 3
Total Condominium Sales in Downtown Boston 1990-1997


## Figure 4 <br> Inventory of Condominiums for Sale 1990:q1-1998:q1



## Identification

$>$ Compare otherwise identical sellers at a given point in time, one of whom has a loss, the other has a gain
$>$ Control for current market conditions and expectations
$>$ Compare sellers based on loan amounts

## Model of List Prices

$>$ List $=\mathrm{a}_{0}+\mathrm{a}_{1}$ Predicted Sale Price $+\mathrm{a}_{2}$ LOSS $^{*}+\mathrm{e}$
$>$ LOSS** $^{*}=(\text { Purchase Price }- \text { Predicted Sale Price })^{+}$
$>$ Problems:
§ May be unobserved quality (potentially serious problem)
§ Did the seller "overpay" when he/she bought the property?

## Model I

$>$ List $=\mathrm{a}_{0}+\mathrm{a}_{1}$ Predicted Sale Price $+\mathrm{a}_{2}$ LOSS $+\mathrm{e}_{\mathrm{I}}$
$>$ Overestimates "true" coefficient on LOSS due to unobserved quality

## Model II

$>$ List $=a_{0}+a_{1}$ Predicted Sale Price $+a_{2}$ LOSS $+a_{3}$ Purchase Price $+\mathrm{e}_{\mathrm{II}}$
$>$ Include previous purchase price to control for unobserved quality
$>$ Model II underestimates "true" coefficient on LOSS because the previous purchase price also includes the over/under payment by owner

## List Price Results

$>$ The data show a significant impact of loss aversion on list prices

## Coefficient on Coefficient LOSS $\stackrel{\text { on }}{\text { LOSS }}{ }^{2}$

Model I
0.35 (0.06)

Model II
0.25 (0.06)

Model I
$0.63(0.04) \quad-0.26(0.04)$
Model II
0.53 (0.04)
$-0.26(0.04)$

Table 2
Loss Aversion and List Prices
Dependent Variable: Log(Original Asking Price)
OLS equations, standard errors in parentheses

| Variable | $(1)$ <br> MODEL I | MODEL II | MODEL I <br> (2) | MODEL II |
| :--- | :---: | :---: | :---: | :---: |
|  | 0.35 | 0.25 | 0.63 | 0.53 |
|  | $(0.06)$ | $(0.06)$ | $(0.04)$ | $(0.04)$ |
| LOSS-squared |  |  | -0.26 | -0.26 |
|  |  |  | $(0.04)$ | $(0.04)$ |
| LTV | 0.06 | 0.05 | 0.03 | 0.03 |
|  | $(0.01)$ | $(0.01)$ | $(0.01)$ | $(0.01)$ |
| Estimated Value in 1990 | 1.09 | 1.09 | 1.09 | 1.09 |
|  | $(0.01)$ | $(0.01)$ | $(0.01)$ | $(0.01)$ |
| Estimated Price Index at Quarter of Entry | 0.86 | 0.80 | 0.91 | 0.85 |
|  | $(0.03)$ | $(0.03)$ | $(0.03)$ | $(0.03)$ |
| Residual from Last Sale Price |  | 0.11 |  | 0.11 |
|  |  | $(0.02)$ |  | $(0.02)$ |
| Months Since Last Sale | -0.0002 | -0.0003 | -0.0002 | 0.0004 |
|  | $(0.0001)$ | $(0.0001)$ | $(0.0001)$ | $(0.0002)$ |
| Constant | -0.93 | -0.91 | -0.97 | -0.94 |
| R-Squared | $(0.10)$ | $(0.10)$ | $(0.10)$ | $(0.19)$ |
| Number of Observations | 0.85 | 0.86 | 0.86 | 0.86 |

## List Price Results: Loan/Value < 50\%

$>$ Can loss aversion be confounded with equity constraints or wealth effects?
$>$ NO! Loss aversion applies equally to owners with Loan/Value $<50 \%$.

## Coefficient on LOSS

Model I
Model II
0.37 (0.06)
0.28 (0.06)

Is Loss Aversion a Nominal or Real Concept?
$>$ The data show inflation (or real losses) play a very minor role in explaining loss aversion

## Coefficient on Coefficient on Nominal LOSS Real LOSS

Model I
0.29 (0.09)
0.06 (0.04)
Model II
0.24 (0.09)
0.01 (0.04)

## List Price Results: Owner-Occupants vs Investors

$>$ Do investors also exhibit loss aversion?
$>$ Yes, but investors exhibit about one-half the degree of loss aversion as owner-occupants.

## Coefficient on LOSS: <br> Owner-Occupants

Coefficient on LOSS:
Investors
Model I
0.50 (0.09)
0.24 (0.12)
Model II
0.42 (0.09)
0.16 (0.12)

Table 5
Loss Aversion and List Prices: Owner-Occupants versus Investors
Dependent Variable: Log(Original Asking Price)
OLS equations, standard errors in parentheses

| Variable | (1) <br> MODEL I | (2) <br> MODEL II | (3) <br> MODEL I | (4) <br> MODEL II |
| :---: | :---: | :---: | :---: | :---: |
| LOSS X Owner-Occupant | $\begin{gathered} 0.50 \\ (0.08) \end{gathered}$ | $\begin{gathered} 0.42 \\ (0.09) \end{gathered}$ | $\begin{gathered} 0.66 \\ (0.08) \end{gathered}$ | $\begin{gathered} 0.58 \\ (0.08) \end{gathered}$ |
| LOSS X Investor | $\begin{gathered} 0.24 \\ (0.12) \end{gathered}$ | $\begin{gathered} 0.16 \\ (0.12) \end{gathered}$ | $\begin{gathered} 0.58 \\ (0.06) \end{gathered}$ | $\begin{gathered} 0.49 \\ (0.06) \end{gathered}$ |
| LOSS-squared X Owner-Occupant |  |  | $\begin{gathered} -0.16 \\ (0.14) \end{gathered}$ | $\begin{gathered} -0.17 \\ (0.14) \end{gathered}$ |
| LOSS-squared X Investor |  |  | $\begin{aligned} & -0.30 \\ & (0.02) \end{aligned}$ | $\begin{gathered} -0.29 \\ (0.02) \end{gathered}$ |
| LTV X Owner-Occupant | $\begin{gathered} 0.03 \\ (0.02) \end{gathered}$ | $\begin{gathered} 0.03 \\ (0.02) \end{gathered}$ | $\begin{gathered} 0.01 \\ (0.01) \end{gathered}$ | $\begin{gathered} 0.01 \\ (0.01) \end{gathered}$ |
| LTV X Investor | $\begin{gathered} 0.05 \\ (0.03) \end{gathered}$ | $\begin{gathered} 0.05 \\ (0.03) \end{gathered}$ | $\begin{gathered} 0.02 \\ (0.02) \end{gathered}$ | $\begin{gathered} 0.02 \\ (0.02) \end{gathered}$ |
| Dummy for Investor | $\begin{gathered} -0.019 \\ (0.014) \end{gathered}$ | $\begin{aligned} & -0.020 \\ & (0.013) \end{aligned}$ | $\begin{gathered} -0.029 \\ (0.012) \end{gathered}$ | $\begin{aligned} & -0.030 \\ & (0.011) \end{aligned}$ |
| Constant | $\begin{gathered} -0.98 \\ (0.13) \end{gathered}$ | $\begin{gathered} -0.96 \\ (0.13) \end{gathered}$ | $\begin{gathered} -1.02 \\ (0.13) \end{gathered}$ | $\begin{gathered} -1.00 \\ (0.13) \end{gathered}$ |
| R-Squared | 0.85 | 0.85 | 0.86 | 0.86 |
| Number of Observations | 3,687 | 3,687 | 3,687 | 3,687 |
| P-value for test: Coefs on Loss and LTV are equal, Owner-Occupants \& Investors | 0.04 | 0.03 | 0.03 | 0.02 |

## List Price Results: Sold vs. Unsold Properties

$>$ Are the coefficients on LOSS driven by unrealistic owners who will never sell?
> Partly true. Owners who eventually sell are less loss averse than owners who do not sell.

Coefficient on Coefficient on LOSS: LOSS:<br>Unsold Properties Sold Properties

Model I
0.45 (0.06)
0.27 (0.08)
Model II
0.34 (0.06)
$0.16(0.08)$

## Table 6

Loss Aversion and List Prices: Sold and Unsold Properties
Dependent Variable: Log(Original Asking Price)
OLS equations, standard errors in parentheses

| Variable | (1) <br> MODEL I | (2) <br> MODEL II | (3) <br> MODEL I | (4) <br> MODELII |
| :---: | :---: | :---: | :---: | :---: |
| LOSS X Unsold | $\begin{gathered} 0.45 \\ (0.06) \end{gathered}$ | $\begin{gathered} 0.34 \\ (0.06) \end{gathered}$ | $\begin{gathered} 0.61 \\ (0.06) \end{gathered}$ | $\begin{gathered} 0.50 \\ (0.06) \end{gathered}$ |
| LOSS X Sold | $\begin{gathered} 0.27 \\ (0.08) \end{gathered}$ | $\begin{gathered} 0.16 \\ (0.08) \end{gathered}$ | $\begin{gathered} 0.60 \\ (0.04) \end{gathered}$ | $\begin{gathered} 0.49 \\ (0.04) \end{gathered}$ |
| LOSS-squared X Unsold |  |  | $\begin{gathered} -0.16 \\ (0.09) \end{gathered}$ | $\begin{gathered} -0.16 \\ (0.09) \end{gathered}$ |
| LOSS-squared X Sold |  |  | $\begin{aligned} & -0.29 \\ & (0.02) \end{aligned}$ | $\begin{aligned} & -0.29 \\ & (0.02) \end{aligned}$ |
| LTV X Unsold | $\begin{gathered} 0.04 \\ (0.02) \end{gathered}$ | $\begin{gathered} 0.04 \\ (0.02) \end{gathered}$ | $\begin{gathered} 0.03 \\ (0.01) \end{gathered}$ | $\begin{gathered} 0.03 \\ (0.01) \end{gathered}$ |
| LTV X Sold | $\begin{gathered} 0.06 \\ (0.02) \end{gathered}$ | $\begin{gathered} 0.06 \\ (0.02) \end{gathered}$ | $\begin{gathered} 0.03 \\ (0.01) \end{gathered}$ | $\begin{gathered} 0.02 \\ (0.01) \end{gathered}$ |
| Dummy for Sold | $\begin{gathered} -0.03 \\ (0.01) \end{gathered}$ | $\begin{gathered} -0.03 \\ (0.01) \end{gathered}$ | $\begin{gathered} -0.03 \\ (0.01) \end{gathered}$ | $\begin{aligned} & -0.04 \\ & (0.01) \end{aligned}$ |
| Constant | $\begin{aligned} & -0.98 \\ & (0.10) \end{aligned}$ | $\begin{gathered} -0.96 \\ (0.10) \end{gathered}$ | $\begin{gathered} -1.01 \\ (0.10) \end{gathered}$ | $\begin{gathered} -0.99 \\ (0.10) \end{gathered}$ |
| R-Squared | 0.86 | 0.86 | 0.86 | 0.86 |
| Number of Observations | 5,792 | 5,792 | 5,792 | 5,792 |
| P-value for test: Coefs on LOSS and LTV are equal, Sold and Unsold Properties | 0.09 | 0.06 | 0.07 | 0.06 |

## Sale Prices

$>$ Impact of loss aversion goes beyond list pricesSellers facing a projected loss actually obtain higher selling prices
$>$ Sales price regressions (NLLS) show: Model I Model II
Coefficient on LOSS: $0.18(0.02) \quad 0.03(0.08)$
$>$ Get similar results in Riverside County singlefamily homes

## Table VI

Loss Aversion and Transaction Prices

Dependent Variable: Log(Transaction Price)
NLLS equations, standard errors in parentheses

| Variable | (1) | (2) |
| :--- | :---: | :---: |
| LOSS | MODEL I | MODEL II |
| LTV | 0.18 | $(0.03)$ |
| Residual from Last Sale Price | 0.07 |  |
|  | $(0.02)$ | $(0.08)$ |
| Months Since Last Sale |  | 0.06 |
| Dummy Variables for Quarter of Entry | -0.0001 | 0.16 |
| Number of Observations | $(0.0001)$ | $(0.02)$ |

## Probability of Sale

$>$ Tradeoff: higher reservation price leads to a lower probability of sale for a given time on the market
$>$ A $10 \%$ increase in the projected loss results in a 36 percent decline in the probability of sale in any given week

Table 8
Hazard Rate of Sale
Duration variable is the number of weeks the property is listed on the market Cox proportional hazard equations, standard errors in parentheses

| Variable | (1) <br> MODEL I | (2) <br> MODEL II | (3) <br> MODEL I | (5) <br> MODEL II |
| :---: | :---: | :---: | :---: | :---: |
| LOSS | $\begin{gathered} -0.33 \\ (0.13) \end{gathered}$ | $\begin{gathered} -0.63 \\ (0.15) \end{gathered}$ | $\begin{gathered} -0.59 \\ (0.16) \end{gathered}$ | $\begin{gathered} -0.90 \\ (0.18) \end{gathered}$ |
| LOSS-squared |  |  | $\begin{gathered} 0.27 \\ (0.07) \end{gathered}$ | $\begin{gathered} 0.28 \\ (0.07) \end{gathered}$ |
| LTV | $\begin{aligned} & -0.08 \\ & (0.04) \end{aligned}$ | $\begin{aligned} & -0.09 \\ & (0.04) \end{aligned}$ | $\begin{aligned} & -0.06 \\ & (0.04) \end{aligned}$ | $\begin{aligned} & -0.06 \\ & (0.04) \end{aligned}$ |
| Estimated Value in 1990 | $\begin{gathered} 0.27 \\ (0.04) \end{gathered}$ | $\begin{gathered} 0.27 \\ (0.04) \end{gathered}$ | $\begin{gathered} 0.27 \\ (0.04) \end{gathered}$ | $\begin{gathered} 0.27 \\ (0.04) \end{gathered}$ |
| Residual from Last Sale |  | $\begin{gathered} 0.29 \\ (0.07) \end{gathered}$ |  | $\begin{gathered} 0.29 \\ (0.07) \end{gathered}$ |
| Months Since Last Sale | $\begin{gathered} -0.003 \\ (0.001) \end{gathered}$ | $\begin{gathered} -0.004 \\ (0.001) \end{gathered}$ | $\begin{aligned} & -0.003 \\ & (0.001) \end{aligned}$ | $\begin{gathered} -0.004 \\ (0.001) \end{gathered}$ |
| Dummy Variables for Quarter of Entry | yes | yes | yes | yes |
| Log Likelihood | -26104.4 | -26094.1 | -26101.8 | -26091.3 |
| Number of Observations | 5,792 | 5,792 | 5,792 | 5,792 |

## Major Findings

$>$ Potential sellers set higher ask prices by $25 \%$ to $35 \%$ of the projected loss
$>$ Loss aversion diminishes with the size of the loss
$>$ Loss aversion depends on nominal, not real loss
$>$ Successful sellers also exhibit loss aversion
§ Higher asking prices of $16-27 \%$ of expected loss
§ Selling prices are higher by $3-18 \%$ of projected loss
§ Tradeoff: lower hazard rate of sale
$>$ Investors exhibit loss aversion, but to a lesser degree than owner-occupants

## Policy Issues

$>$ What will happen if house prices fall in the next 5 years?
$>$ Low inflation or deflationary environments present greater opportunities for nominal losses
$>$ In Japan and other Asian markets:
§ Real estate prices have fallen by up to $80 \%$
§ Debt forgiveness may not fully resolve liquidity crisis if owners exhibit loss aversion

## Research Agenda: <br> Behavioral Economics \& Housing

$>$ How do sellers choose their reference point?
§ Local prices (Loewenstein \& Simonsohn)
§ Role of transaction costs
§ Sales of similar properties
$>$ How do market participants set their expectations of future market changes?
§ Do sellers index prices properly? (No---Genesove \& Mayer III)
§ Role of sentiment/investor psychology (Case \& Shiller)

## Research Agenda: <br> Behavioral Economics \& Housing

$>$ Does loss aversion apply (equally) to commercial real estate markets? (yes?)
$>$ To what extent does "better" information reduce the degree of loss aversion?

