Place-Based Redistribution

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- Widespread use of place-based policies: 30% of EU budget, U.S., UK, France...
- Two rationales for place-based policies:
 - Efficiency: [Traditional focus]
 - Internalize agglomeration/congestion externalities
 - Limit under-provision of local public goods

equity: [This paper]

- Places are heterogeneous in income, opportunities, environment
- $-\,$ A way to transfer resources to the disadvantaged
- Question: Does place-based redistribution improve welfare?

Redistributive motive: Poverty is spatially concentrated



- Ex: U.S. Empowerment Zones 1993-present
- Cover 1% of pop. \$3,000 per full-time worker.

We already redistribute based on income

West/South Chicago: 50% Filers with Negative Income Tax



• Should South Side residents get extra transfer?



• Should Appalachia residents get extra transfer?

THE LINDAHL LECTURES.

Cities, Agglomeration and Spatial Equilibrium

EDWARD L. GLAESER



"Help Poor People, Not Poor Places'...is something of a mantra for many urban and regional economists... [Place-based] aid is inefficient because it increases economic activity in less productive places and decreases economic activity in more productive places." – Glaeser (2008)

Our paper: Place-based redistribution can help equity-efficiency tradeoff

- Theory: Place-based can usefully complement income-based redistribution
 - Lower efficiency cost of equity gains, if limited mobility or limited earnings loss from moving
 - Unique equity gains from within-earnings redistribution
 - Survey evidence
- Quantification: Optimal transfer to 1% living in poorest tracts \sim \$3,000 \$5,500/household
 - Magnitude depends in particular on which forces drive sorting
 - Comparative advantage constitutes in itself a motive for place-based redistribution

Contributions

- Urban: Large literature studying place-based policies [Flatters et al. '74, Glaeser-Gottlieb '08, Albouy '09, Desmet-RossiHansberg '13, Kline-Moretti '14, Neumark-Simpson '15, Ossa '15, Gaubert '18 Austin-Glaeser-Summers '19, Bergman et al. '19, Fagelbaum et al. '19, Hsieh-Moretti '19, Fajgelbaum-Gaubert '20, Slattery-Zidar '20]
 - Main focus: efficiency
 - We characterize optimal redistribution in the workhorse urban model
- Public: Tagging; commodity taxation [Atkinson-Stiglitz '76, Akerlof '78, Mirrlees '76, Christiansen '84, Diamond-Sheshinski '95, Parsons '96, Cremer-Gahvari '98, Saez '02, Laroque '05, Kaplow '06/'08, Mankiw-Weinzierl '10, Kleven-Kopczuk '11, Rotschild-Scheuer'13, Gordon-Kopczuk '14, Allcott-Lockwood-Taubinsky '19]
 - Tagging: Residential choice is an area where tagging is used. Study its theoretical rationale.
 - Place-based tax vs. commodity tax:
 - Place-based tax needs not be linear in consumption
 - Place: productivity differences beyond cost-of-living difference, comparative advantage

- Equity gains and efficiency costs of place-based redistribution (PBR)
- Omparison to income-based redistribution
- Quantification

• Model combining key elements from Urban + Public Finance:

- Heterogeneous skill θ , unobserved
- Endogenous labor supply \Rightarrow pre-tax income z^* , observed
- Heterogeneous preferences for locations $\{\varepsilon_j\}$, unobserved
- Residential choice j^* , observed
- Not in analysis
 - [Market failures (e.g. agglomeration spillovers, local public goods)]
 - [Incidence on landowners (see paper)]

Household preferences

Unit mass of households Θ = (θ, ε₀, ε₁) ~ F(Θ) choose earnings z, consumption of c,h and location j to maximize utility:

$$U\left(c,h,a_{j},rac{z}{w_{j}\left(heta
ight)}
ight)+arepsilon_{j}$$

• Budget constraint:

$$c+r_{j}h=z-T_{j}\left(z
ight)$$

- Two locations $j \in \{0, 1\} = \{Elsewhere, Distressed\}$
 - Amenities: $a_0 \ge a_1$
 - Housing rents r_j : $r_0 \ge r_1$
 - Productivity: $w_{0}\left(heta
 ight)\geq w_{1}\left(heta
 ight)$

• Planner maximizes:

$$SWF = \int \omega(\Theta) v^*(\Theta) dF(\Theta) = \mathbb{E}[\omega v^*]$$

- $\omega(\Theta)$: Pareto weight on Θ . v^* : Indirect utility.

• Define social marginal welfare weights $\lambda^*(\Theta)$: welfare benefit of an extra \$1 to household Θ :

$$\lambda^{*}\left(\Theta\right)\equivrac{\omega\left(\Theta
ight)rac{\partial v^{*}\left(\Theta
ight)}{\partial I}}{\phi}$$

• Income tax T(z), place-blind

- Lump-sum Place-Based Redistribution scheme (PBR), indexed by Δ
 - Distressed residents receive lump-sum transfer $\frac{\Delta}{S}$ (S: share of households in Distressed)
 - Elsewhere residents pay lump-sum tax $\frac{\Delta}{1-S}$

Q. What is the first-order welfare effect of a small PBR reform starting from a place-blind system?

Implementing a small place-based transfer improves welfare if and only if

$$\frac{dSWF}{d\Delta} = \bar{\lambda}_{1} - \bar{\lambda}_{0} - \frac{dS}{d\Delta} \cdot \mathbb{E}\Big[T(z_{0}^{*}) - T(z_{1}^{*}) | \textit{move}\Big] > 0$$

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• Efficiency cost depends on mobility responses and earnings responses:

$$\underbrace{\frac{dS}{d\Delta}}_{\text{movers}} \cdot \quad \mathbb{E}\bigg[\underbrace{\mathcal{T}\left(z_{0}^{*}\right) - \mathcal{T}\left(z_{1}^{*}\right)}_{\text{efficiency cost} > 0} | \text{move}\bigg]$$

When equity gains come at no efficiency cost: Special cases

Neighborhood Zones

PBR between affluent/poor residential neighborhoods with same access to business district:

– no earnings loss upon moving \Rightarrow no efficiency cost of PBR

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 - no household wants to pay a moving cost to move to Distressed, even after PBR
 - no movers \Rightarrow no efficiency cost of PBR
- Comp. advantage/Skilled jobs clustering [Moretti '12, De la Roca-Puga'17, Autor '19] High-skilled/high-wage jobs only in Elsewhere; low-skilled jobs in both areas, same low wage.
 - high-skill not incentivized to move to Distressed; only low-skill move
 - no earnings loss of movers \Rightarrow no efficiency cost of PBR

- Increase PBR until additional equity gains are outweighed by additional efficiency costs:
 - Efficiency costs include impact of movers on PBR budget

The optimal place-based transfer Δ^* obeys:

$$\Delta^{*} = \frac{\bar{\lambda}_{1}(\Delta^{*}) - \bar{\lambda}_{0}(\Delta^{*}) - \frac{dS(\Delta^{*})}{d\Delta} \mathbb{E}\left[T\left(z_{0}^{*}\right) - T\left(z_{1}^{*}\right) | \textit{move}\right]}{\frac{dS(\Delta^{*})}{d\Delta} / \left[S(\Delta^{*})\left(1 - S(\Delta^{*})\right)\right]}$$

• Couldn't an income tax reform dominate this place-based reform?

• Compare PBR to an income tax reform $q\tilde{T}(z)$ that raises same tax at each earnings level $\tilde{T}(z) \propto S - s(z)$

where s(z): share of *z*-earners who live in Distressed

• PBR useful in complement to place-blind redistribution if:

Difference in Equity Benefits – Difference in Efficiency Costs ≥ 0

1. Difference in Efficiency costs PBR desirability: reduce efficiency costs

- Difference in Efficiency costs:
 - PBR: as above, cost of movers ; Income tax: distorts labor supply

$$\frac{\left(\frac{dS}{d\Delta} - \frac{dS}{dq}\right) \mathbb{E}\left[T\left(z_{0}^{*}\right) - T\left(z_{1}^{*}\right) | \text{move}\right]}{\text{efficiency cost of movers, on net > 0}} - \underbrace{\mathbb{E}\left\{-T'\left(z^{*}\right) \frac{s'\left(z^{*}\right)}{S(1-S)} \frac{Z_{1-\tau}}{1 + Z_{1-\tau}T''\left(z^{*}\right)}\right\}}_{\text{labor supply of stayers distorted by income tax > 0}}$$

- Horserace. Low if: limited migration/earnings losses of movers; large labor supply responses

- In commodity taxation lit., what drives sorting is important for net efficiency cost [Saez '02]
 - Homogeneous pref. & sorting only driven by income effect: commodity tax does not help
 - If sorting driven by other forces (e.g. heterogeneous preference): commodity tax may help
 - Silent on sorting driven by comparative advantage
- Come back to this question in quantification:
 - Embed sorting forces from urban literature heterogeneous preferences for location amenities; comparative advantage; non-homothetic preferences for housing

2. Difference in Equity Benefits PBR desirability: unique equity gains

• In isolation, PBR's equity gains depend on how $\lambda(\Theta)$ covaries with location choice of households:

 $\mathbb{C}\left(\lambda,j^*
ight)$

- Income tax reform takes care of across earnings redistribution
 - \Rightarrow PBR's unique (net) equity gains are *within* earnings

 $\mathbb{C}\left(\lambda,j^{*}|z^{*}
ight)$

• Unique equity gain of PBR if, at the same income level z, households living in Distressed have a higher λ than those who live in Elsewhere

Rationale for within-earnings redistribution $\lambda_1(z) \geq \lambda_0(z)$

• Consider case where labor supply is separable to isolate key driving forces

$$U = \psi\left(g\left(c, h
ight), \mathsf{a}_{j}
ight) - e\left(rac{z}{w\left(heta
ight)}
ight)$$

- with g(c, h) homothetic consumption index

- **O St-of-living effect**: $P_0 > P_1 \Rightarrow \lambda_1(z) \ge \lambda_0(z)$ if ψ not too concave
 - Households are poorer in real terms in Elsewhere
 - A govt dollar spent in Distressed goes further, as prices are lower
 - Dominates when ψ not too concave.

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2 Amenity effect: $a_1 < a_0 \Rightarrow \lambda_1(z) \ge \lambda_0(z)$ if amenities - consumption q-substitutes $(\frac{\partial^2 \psi}{\partial x \partial a} < 0)$

- Disamenities raise the marginal utility of consumption
- e.g. car rides to avoid crime, healthcare needs and pollution

Disamenities that can raise the marginal utility of consumption



Rationale for within-earnings redistribution (Why place can be special)

• Consider separable case in consumption and/or amenities to isolate key driving forces

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- dollar spent goes further in buying consumption in low-price location

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- lower amenities in 1 raises marginal utility of consumption, e.g. car rides to avoid crime
- Equality and justice: Residents of Distressed are more deserving [Wilson '87]
 - suffer from past injustices, unfair treatment
 - can be folded into high Pareto weights $\omega(\Theta)$ [Saez and Stantcheva '16]

High poverty neighborhoods and past injustices



High-Poverty Tracts Were 5x More Likely Redlined

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Survey: preferences for redistributionwithin-earnings/across place?

- Survey of 1,100 Americans on Amazon MTurk [e.g. Kuziemko-Norton-Saez-Stantcheva '15]
- Elicit social preference between 3 reforms. All 3 reforms have the **same budget** and are for families with an **identical low income**:
 - I distributed to poor families everywhere
 - targeted to poor families living in distressed areas
 - targeted to poor families living in thriving areas



• Suggests social preference for redistribution across place, within earnings, towards Distressed areas

Quantification: How large might optimal place-based transfers be?

- $\bullet\,$ Compute optimal transfer scheme to the 1% who live in poorest group of tracts
 - Rank U.S. Census tracts by poverty rates (2013-2017 ACS)
 - Combine into 100 location groups, each with 1% of the population
- Utilitarian planner maximizes $SWF = \mathbb{E}[v^*]$ using three-bracket income tax $T(\cdot)$ and also PBR Δ
 - Baseline SWF features no within-earnings/across place redistributive motive.
 - Focus on PBR as a means to reduce efficiency costs.

Parametric assumptions

• Baseline utility:

$$u_{j}(\Theta) = \ln\left(c^{1-\alpha}h^{\alpha} - \frac{\eta}{1+\eta}\left(\frac{z}{w_{j}(\theta)}\right)^{\frac{1+\eta}{\eta}}\right) + a_{j}\left(\theta\right) + \frac{1}{\kappa}\varepsilon_{j}$$

- Taste shock: $\varepsilon_j \sim \text{EV1}$.
- Productivity advantage of locations is skill-neutral: $w_j(\theta) = \theta w_j$

$$-\lambda_{1}(z) = \lambda_{0}(z)$$

- Skill-specific mean taste for amenities $a_j(\theta)$ drives sorting
- Add comparative advantage:
 - Productivity advantage of locations is skill-biased: $w_j(\theta) = w_j \theta^{b_j}$
 - Induces sorting of high-skill into high-wage communities
- Add income-based sorting:
 - Use Stone-Geary instead of Cobb-Douglas in consumption: $c^{1-lpha}(h-{{f h}})^{lpha}$
 - Housing is a necessity, induces sorting of low-skill into low-rents communities

Calibration

$$u_{j}(\Theta) = \ln\left(c^{1-\alpha}h^{\alpha} - \frac{\eta}{1+\eta}\left(\frac{z}{\theta w_{j}}\right)^{\frac{1+\eta}{\eta}}\right) + a_{j}\left(\theta\right) + \frac{1}{\kappa}\varepsilon_{j}; \quad \theta \sim \mathsf{log-normal}(\mu_{\theta}, \sigma_{\theta}).$$

• Baseline Calibration:

- Rents $\{r_j\}$: ACS.
- Wage shifters {w_j}: from productivity-rent gradient [Hornbeck-Moretti'19]
- $\kappa = 0.5$: matches population elasticity wrt wage [Kennan-Walker '11]
- Housing expenditure share lpha=.3. Frisch labor supply elasticity $\eta=.5$ [Chetty et al. '11].
- Current T(z): \$11K lump-sum transfer w/ brackets 44%, 16%, 27% [Piketty-Saez-Zucman '18]
- Skill-specific valuation of amenities $\{a_j(\theta)\}$ (and $\mu_{\theta}, \sigma_{\theta}$): residual to match distribution of ACS earnings (9 earnings bins) and total population across locations.

• Extensions:

- Comparative advantage: $\{b_j\}$ indexed on $\{w_j\}$ to match estimate in [DeLaRoca-Puga'17]
- Non-homothetic preferences: ($\alpha,\underline{\rm h})$ match housing share between 0.15 and 0.52

Substantial income sorting in the data...



... Rationalized by place productivity + skill-specific valuation of amenities Baseline calibration





		Social marginal welfare		
		weight difference Increase in Distressed		
	Optimal level of PBR	narrowed	population	
	(1)	(2)	(3)	
Baseline	\$5,500	71%	9%	
Capped earnings subsidy	36%	54%	7%	
Change top income tax bracket only	\$3,600	49%	6%	
2x productivity differences	\$4,800	63%	8%	
2x migration	\$4,000	53%	13%	

Extensions account for other sorting forces

- Add comparative advantage of high skill in high-wage cities
- Add income-based sorting
- Residual role of skill-specific valuation of amenities is muted compared to baseline



High-versus-Low-Skilled Community Tastes

Optimal PBR with additional sorting forces

Optimal Level of PBR

	Calibration	Eliminate skill-taste correlation alibration after calibration	
	(1)	(2)	
Baseline	\$5,500	\$400	
Income effects	\$3,700	-\$400	
Comparative advantage	\$4,200	\$1,600	
Income effects + Comparative advantage	\$3,100	\$700	

- Optimal PBR in the range of \$3,100-\$5,500 depending on sorting forces
- Comparative advantage in isolation provides motive for PBR

- Place-based redistribution can deliver unique equity and efficiency benefits
 - Efficiency of taxation: Better targeting when mobility or wage differences are low
 - Equity: Unique gains when marginal utilities differ across place, within-earnings
- No presumption against helping poor places

Appendix

Why direct subsidies to the poor to distressed areas?



• The optimal place-based transfer Δ^* obeys:

$$\Delta^{*} \approx \frac{\bar{\lambda}_{1}\left(0\right) - \bar{\lambda}_{0}\left(0\right) + \mathbb{E}\left\{\frac{dS\left(\cdot,0\right)}{d\Delta}\left[T\left(z_{1}^{*}\right) - T\left(z_{0}^{*}\right)\right]\right\}}{\frac{1}{S\left(1-S\right)}\left\{\frac{dS}{d\Delta} - \mathbb{C}\left[\frac{dS\left(\cdot,0\right)}{d\Delta}, \left(1-S\right)\lambda_{1}\left(\cdot,0\right) + S\lambda_{0}\left(\cdot,0\right)\right]\right\} - \left(\bar{\lambda}_{1}\left(0\right) + \bar{\lambda}_{0}\left(0\right)\right) - \mathbb{E}\left\{\frac{d^{2}S\left(\cdot,0\right)}{d\Delta^{2}}\left[T\left(z_{1}^{*}\right) - T\left(z_{0}^{*}\right)\right]\right\}},$$

$$-$$
 where: $\Lambda\left(\Theta
ight)=rac{\partial\lambda\left(\Theta
ight)}{\partial I}$ and $ar{\Lambda}_{j}=\mathbb{E}\left[\Lambda\left(\cdot
ight)|j^{*}=j
ight]$

- both evaluated at $\Delta = 0$.