

PRICE RIGIDITY: MICROECONOMIC EVIDENCE AND MACROECONOMIC IMPLICATIONS

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WHY CARE ABOUT PRICE RIGIDITY IN MACRO?

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Leading explanation: Prices adjust sluggishly to shocks

PRICE RIGIDITY AND THE BUSINESS CYCLES

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Same logic implies muted response of real rates to other shocks such as: deleveraging shocks, financial panics, increased uncertainty, “animal spirits”

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- Financial disruptions and investment hang-overs have similar effects

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- Stark comparison: Calvo model vs. Caplin-Spulber model

- Each firm adjusts with probability $1 - \alpha$ each period

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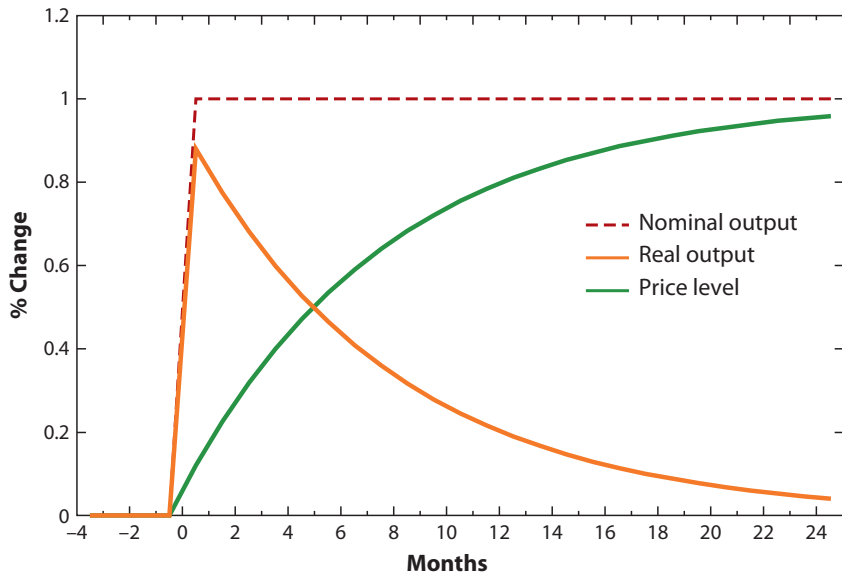
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- MP targets nominal output: $m_t = y_t + p_t$
- Simple utility and production function: $mc_t = m_t$
- Random walk nominal output (no drift): $E_t mc_{t+j} = m_t$

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- Fixed cost of changing prices
- When real price falls to s , firms raise it to S
- Initial distribution of real prices uniform on (s, S)

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- Conclusion: Money is neutral no matter how sticky prices are!!

CAPLIN-SPULBER VS. CALVO

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Calvo model:

- Timing of price changes random
- Random assortment of firms that change prices
- Some don't really need to change
- Aggregate price level responds modestly

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Caplin-Spulber model:

- Timing of price changes chosen optimally
- Firms with biggest “pent-up” desire to change price do
- Aggregate price level responds a great deal
- Golosov-Lucas call this “selection effect”

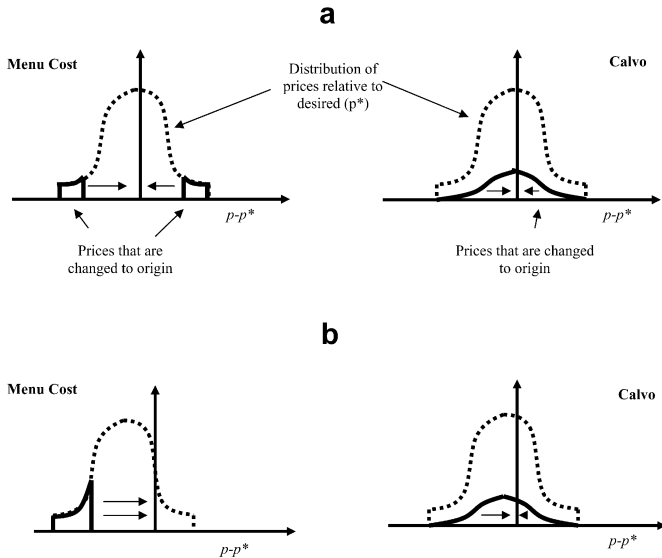


FIG. 6.—Price adjustment in menu cost and Calvo models. *a*, Price adjustment before aggregate shock. *b*, Price adjustment after aggregate shock.

Source: Golosov and Lucas (2007)

CAPLIN-SPULBER VS. CALVO

Both models extreme cases

- Calvo: Aggregate conditions have no effect on which firms or how many firms change prices
- Caplin-Spulber model: Aggregate shocks only determinant of which firms and how many firms change prices
(+ other special assumption that matter for result)

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Subsequent literature explores intermediate cases and uses empirical evidence on characteristics of micro price adjustment to choose between models

LITERATURE GETS REVITALIZED

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 - Only so much you can do analytically
(computers not yet good enough to simulate realistic models)
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 - Lack of data to discipline models
- Both things changed after 2000:
 - Computers became powerful enough to simulate realistic models
 - Bils and Klenow (2004) introduced massive new source of data

BASIC FACTS: HOW OFTEN DO PRICES CHANGE?

- Conventional wisdom in late 90's: Prices change once a year
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- Bils and Klenow (2004) used BLS micro data from 95-97:
 - Prices change every 4-5 months
- Spawned a large subsequent literature

ADDITIONAL FACTS ABOUT PRICES

- BLS micro data allowed researchers to document additional facts about price adjustment
- Klenow and Kryvtsov (05,08):
 - Average absolute size of price changes large: about 10%
- Golosov-Lucas 07:
 - 2.5% annual inflation
 - 20% of prices changing every month
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 - How can this be?

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 - How can this be?
 - Evidence for large, transitory idiosyncratic shocks that drive price adjustment
 - Quantitatively assess monetary non-neutrality in menu cost model in light of these facts

Households maximize:

$$E_0 \sum_{t=0}^{\infty} \beta^t [\log C_t - \omega L_t]$$

where

$$C_t = \left[\int_0^1 c_t(z)^{\frac{\theta-1}{\theta}} dz \right]^{\frac{\theta}{\theta-1}}$$

subject to:

$$P_t C_t + Q_{t,t+1} B_{t+1} \leq B_t + W_t L_t + \int_0^1 \Pi_t(z) dz$$

and natural borrowing limits

Cost minimization implies

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Labor-leisure optimization yields:

$$W_t = \omega P_t C_t$$

So, nominal wages are proportional to nominal output

Define nominal aggregate demand as:

$$S_t = P_t C_t$$

Suppose central banks varies interest rate / money supply in such a way that log nominal aggregate demand follows a random walk:

$$\log S_t = \mu \log S_{t-1} + \eta_t$$

where $\eta_t \sim N(0, \sigma_\eta^2)$.

This is aggregate source of uncertainty in the model

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Linear production function

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Idiosyncratic productivity follows an AR(1) in logs:

$$\log A_t(z) = \rho \log A_{t-1}(z) + \epsilon_t(z)$$

where $\epsilon_t(z) \sim N(0, \sigma_\epsilon^2)$

FIRM'S PROBLEM

Firm maximizes value of expected profits

$$E_t \sum_{\tau=0}^{\infty} D_{t,t+\tau} \Pi_{t+\tau}(z)$$

where profits are

$$\Pi_t(z) = p_t(z)y_t(z) - W_t L_t(z) - \chi_j W_t l_t(z) - P_t U$$

- Firm must hire χ_j units of labor to change price
- U fixed cost of operation
(helpful to reconcile large markups with small profits)
- $D_{t,t+\tau}$ is household's stochastic discount factor

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- Alternative: Dynamic programming, i.e., set up a Bellman equation

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$$\Pi_t^R(z) = C_t \left(\frac{p_t(z)}{P_t} \right)^{-\theta} \left(\frac{p_t(z)}{P_t} - \frac{1}{A_t(z)} \frac{W_t}{P_t} \right) - \chi_j \frac{W_t}{P_t} l_t(z) - U$$

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 - Entire joint distribution of $(p_{t-1}(z)/P_t, A_t(z))$

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 - Assume firms are slightly boundedly rational
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- Reiter (2009) method
- Continuous time methods (Ahn-Kaplan-Moll-Winberry-Wolf 17)
More generally, see Ben Moll's website and Alisdair McKay's website.

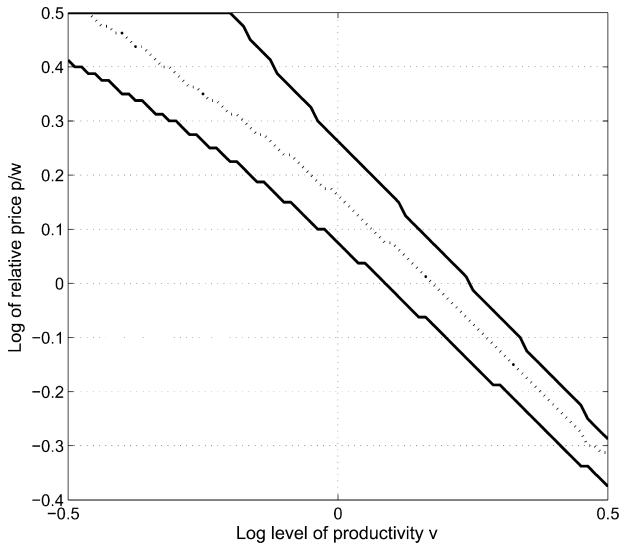
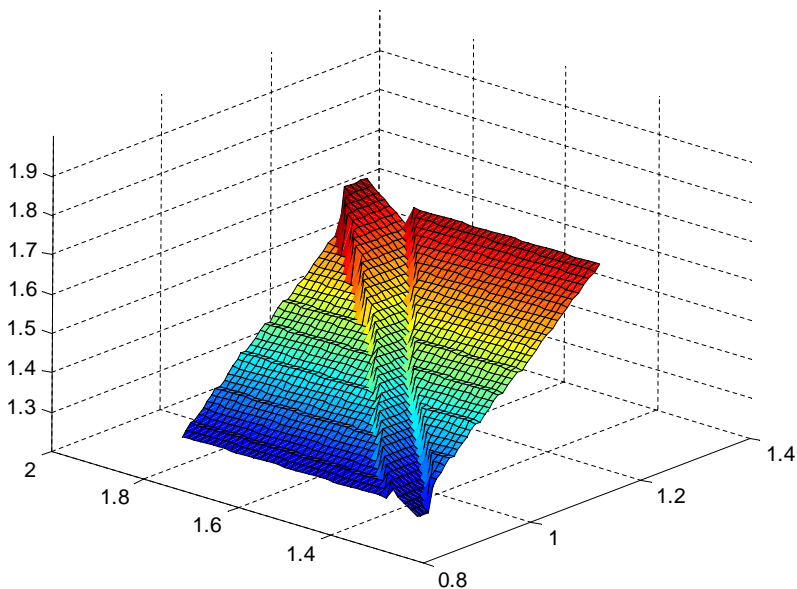


FIG. 1.—Pricing bounds for 0.64 percent quarterly inflation. Solid lines: upper and lower bounds $U(v)$ and $L(v)$. Dotted line: $g(v)$.

Source: Golosov and Lucas (2007)

Policy Function



Left axis: Prior price. Right axis: Marginal cost. Vertical axis: New price.

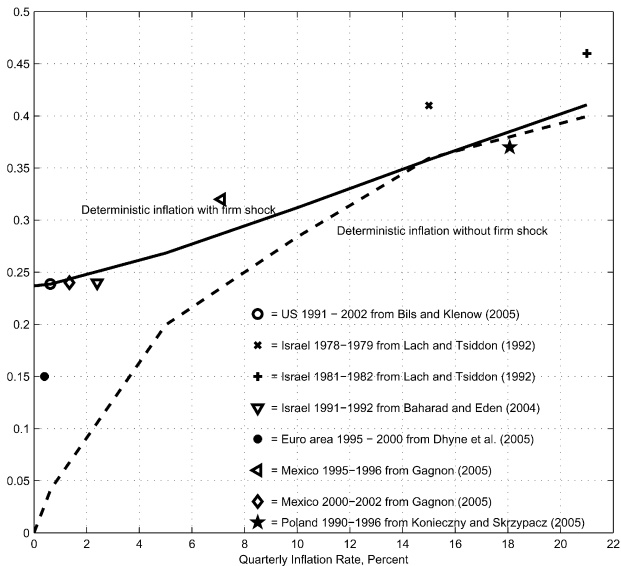
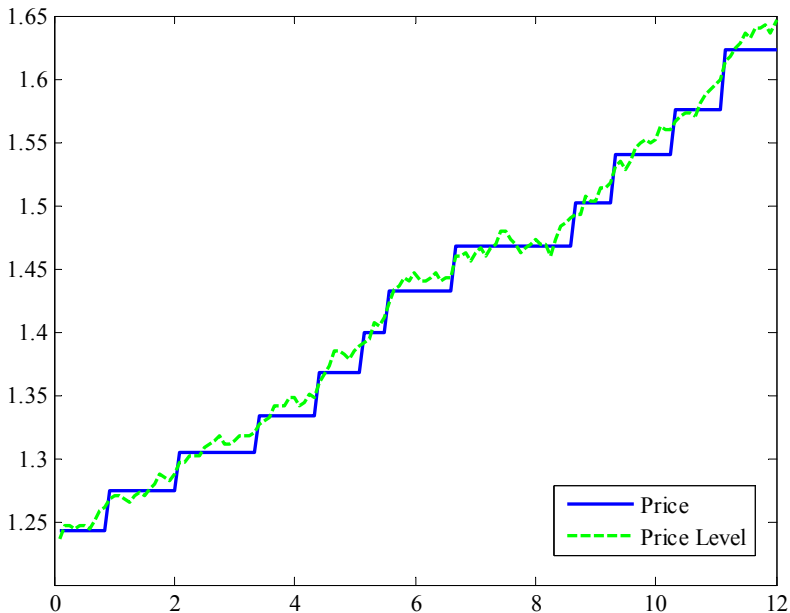
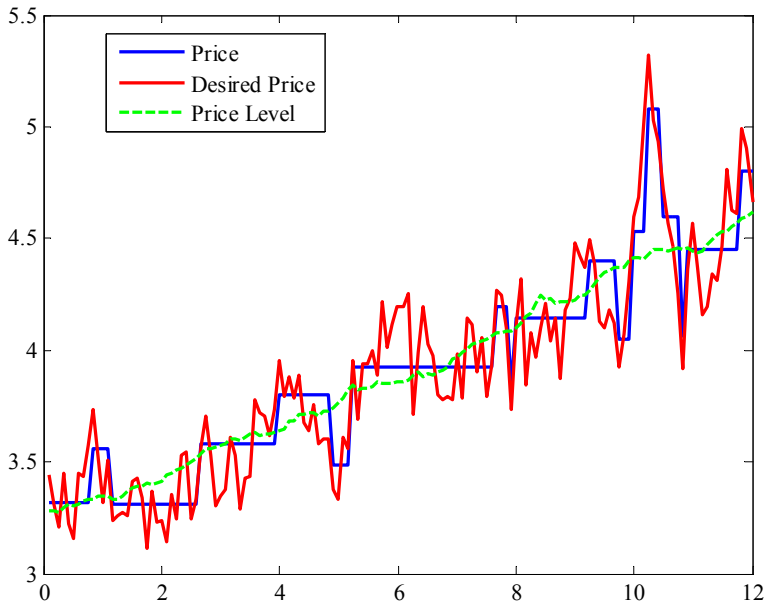


FIG. 3.—Fraction of prices changed each month

Source: Golosov and Lucas (2007)



Sample path without idiosyncratic shocks. Small price changes. No price decreases.



Sample path with idiosyncratic shocks.

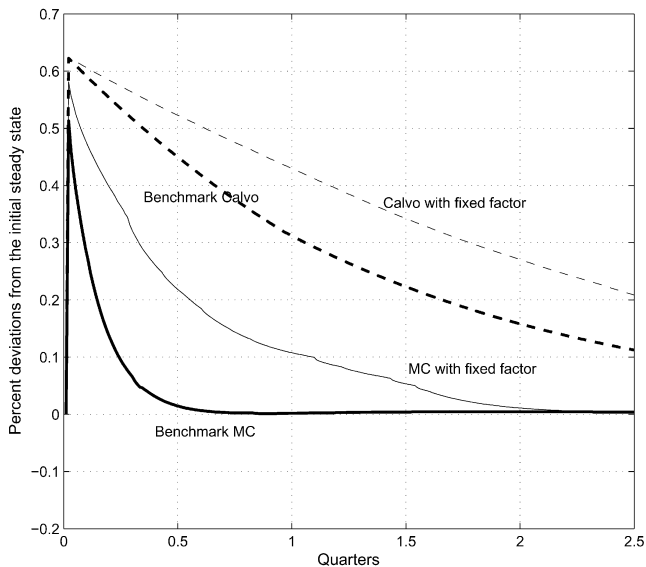


FIG. 5.—Output responses in menu cost and Calvo models

Source: Golosov and Lucas (2007)

- Very strong selection effect
- 6 times less monetary non-neutrality than in Calvo model

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- Bottom line: Realistic menu cost model yields monetary non-neutrality that is “small and transient”

ASSAULT ON KEYNESIAN ECONOMICS

Bils and Klenow (2004)

- Prices change every 4-5 months

Golosov and Lucas (2007)

- Monetary non-neutrality is “small and transient”

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Empirical Issues:

- How should we treat temporary sales?
- How does heterogeneity in price rigidity matter?
- Are all price changes selected?
- What is a realistic distribution of idiosyncratic shocks?

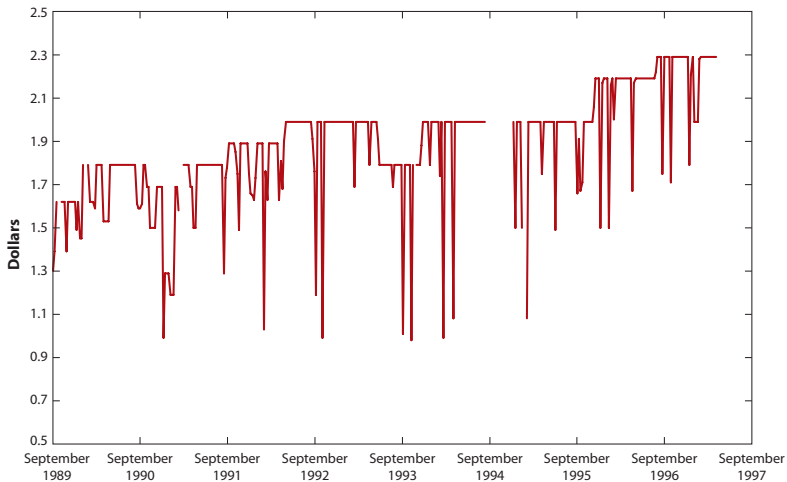


Figure 2

Price series of Nabisco Premium Saltines (16 oz) at a Dominick's Finer Foods store in Chicago.

Source: Nakamura and Steinsson (2013)

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2. Frequent temporary discounts (sales)
 - 117 price changes in 365 weeks

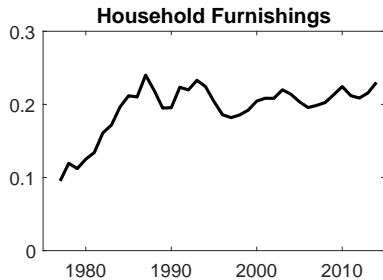
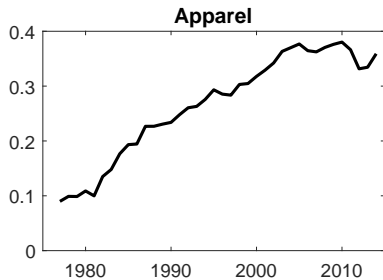
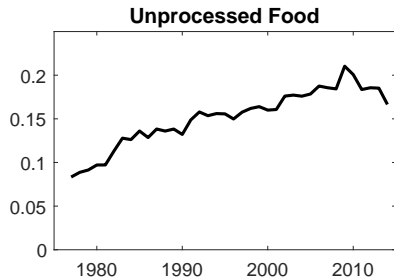
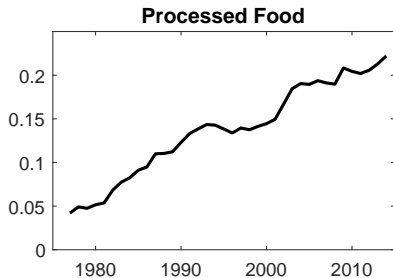
Two features stand out:

1. Change in “regular” price is infrequent and “lumpy”
 - Only 9 “regular price” changes in a 7 year period
 2. Frequent temporary discounts (sales)
 - 117 price changes in 365 weeks
- Does this product have essentially flexible prices?
 - Or is it's price highly rigid?

Table: Frequency of Price Change by Major Group 1998-2005

Major Group	Weight	Reg. Price Freq.	Price Freq.	Frac. Price Ch. Sales
Processed Food	8.2	10.5	25.9	57.9
Unprocessed Food	5.9	25.0	37.3	37.9
Household Furnishing	5.0	6.0	19.4	66.8
Apparel	6.5	3.6	31.0	87.1
Transportation Goods	8.3	31.3	31.3	8.0
Recreation Goods	3.6	6.0	11.9	49.1
Other Goods	5.4	15.0	15.5	32.6
Utilities	5.3	38.1	38.1	0.0
Vehicle Fuel	5.1	87.6	87.6	0.0
Travel	5.5	41.7	42.8	1.5
Services (excl. Travel)	38.5	6.1	6.6	3.1

Source: Nakamura and Steinsson (2008)



Source: Nakamura-Steinsson-Sun-Villar (2018)

Table 1 Frequency of price change in consumer prices

	Median		Mean	
	Frequency	Implied duration	Frequency	Implied duration
Nakamura & Steinsson (2008)				
Regular prices (excluding substitutions 1988–1997)	11.9	7.9	18.9	10.8
Regular prices (excluding substitutions 1998–2005)	9.9	9.6	21.5	11.7
Regular prices (including substitutions 1988–1997)	13.0	7.2	20.7	9.0
Regular prices (including substitutions 1998–2005)	11.8	8.0	23.1	9.3
Posted prices (including substitutions 1998–2005)	20.5	4.4	27.7	7.7
Klenow & Kryvtsov (2008)				
Regular prices (including substitutions 1988–2005)	13.9	7.2	29.9	8.6
Posted prices (including substitutions 1988–2005)	27.3	3.7	36.2	6.8

Source: Nakamura and Steinsson (2013)

IS A PRICE CHANGE JUST A PRICE CHANGE?

- Temporary sales have very special empirical characteristics
 - They are highly transient
 - They very often return to the original price
 - Strongly suggests that firms are not reoptimizing
- How do these empirical characteristics affect degree to which temporary sales enhance the flexibility of the aggregate price level?

Table 2 Transience of temporary sales

	Fraction return after one-period sales	Frequency of regular price change	Frequency of price change during one-period sales	Average duration of sales
Processed food	78.5	10.5	11.4	2.0
Unprocessed food	60.0	25.0	22.5	1.8
Household furnishings	78.2	6.0	11.6	2.3
Apparel	86.3	3.6	7.1	2.1

The sample period is 1998–2005. The first data column gives the median fraction of prices that return to their original level after one-period sales. The second is the median frequency of price changes excluding sales. The third lists the median monthly frequency of regular price change during sales that past one month. The monthly frequency is calculated as $1 - (1 - f)^{0.5}$, where f is the fraction of prices that return to their original levels after one-period sales. The fourth data column gives the weighted average duration of sale periods in months. Data taken from Nakamura & Steinsson (2008).

Source: Nakamura and Steinsson (2013)

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KEHOE AND MIDRIGAN (2015)

- Menu cost model (also consider Calvo model)
- Firms can change prices for one period at lower cost
 - Change regular price permanently (“buy” a new price)
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 - Change regular price permanently (“buy” a new price)
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- Timing of sales chosen optimally and responds to macro shocks
- Nevertheless, sales generate very little aggregate price flexibility
- Results on monetary non-neutrality close to those if sales had been excluded

SALES ORTHOGONAL TO MACRO SHOCKS?

- Two Views of Sales:
 - Intertemporal price discrimination (e.g., Varian, 1980)
 - Inventory Management (e.g., Lazear, 1986)
 - Due to unpredictable shifts in taste (fashion)?

- How should we treat temporary sales?
- How does heterogeneity in price rigidity matter?
- Are all price changes selected?
- What is a realistic distribution of idiosyncratic shocks?

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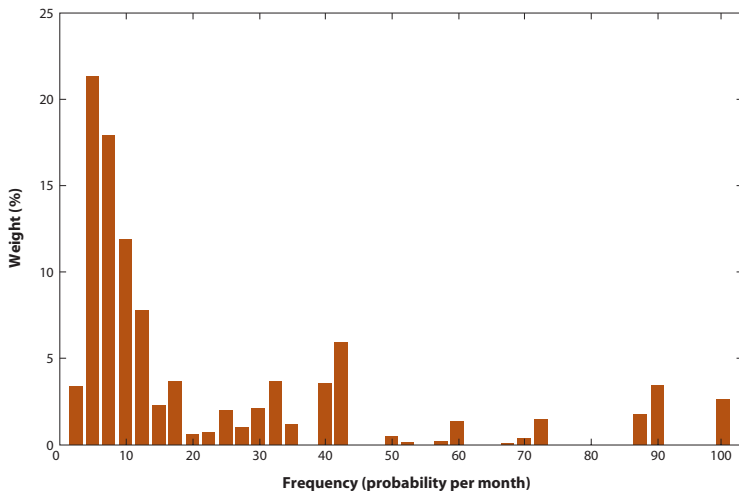


Figure 3

The expenditure weighted distribution of the frequency of regular price change (percent per month) across product categories (entry-level items) in the US Consumer Price Index (CPI) for the period 1998–2005. Data taken from Nakamura & Steinsson (2008).

Source: Nakamura and Steinsson (2013)

HETEROGENEITY IN PRICE RIGIDITY

- Distribution is skewed: long right tail
 - Many products with low frequency
 - Some products with very high frequency
- Different summary statistics give impressions:
 - Excl. sales: Mean freq: 23%, median freq: 11%
- Questions:
 - Does this heterogeneity matter for aggregate monetary non-neutrality?
 - What statistic should single sector models be calibrated to?

HETEROGENEITY AND MONETARY NON-NEUTRALITY

- Heterogeneity matters a lot!
- No model free answer for calibrating a single sector model

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- In Calvo model: Carvalho (2007) use mean implied duration (NOT = inverse of mean frequency)
- In menu cost model: Nakamura and Steinsson (2010) say use median frequency for US data (no general theorem)
- Intuition: Extra price change not as useful in high frequency sector since everyone has already changed

- How should we treat temporary sales?
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- Are all price changes selected?
- What is a realistic distribution of idiosyncratic shocks?

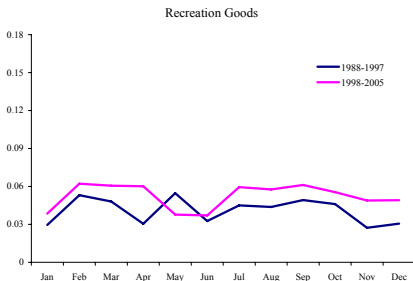
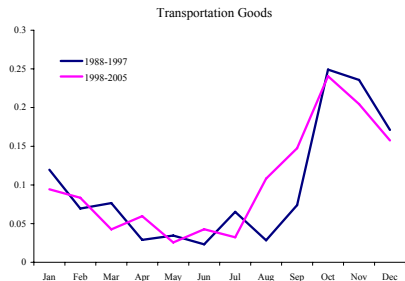
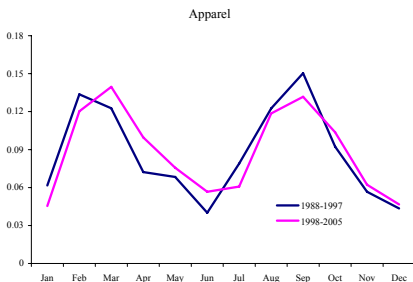
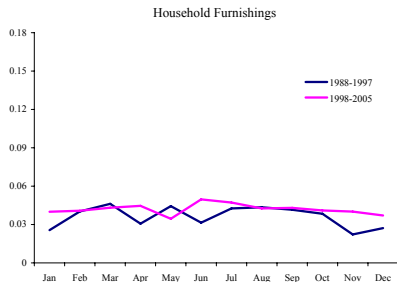


Figure: Seasonality in Product Substitution

Source: Nakamura and Steinsson (2008)

SUBSTITUTIONS NOT SELECTED

Nakamura and Steinsson 10:

- Consider version of model in which substitutions are not selected (i.e., substitutions are like Calvo price changes, while other price changes are selected)
- Non-selected price changes matter very little

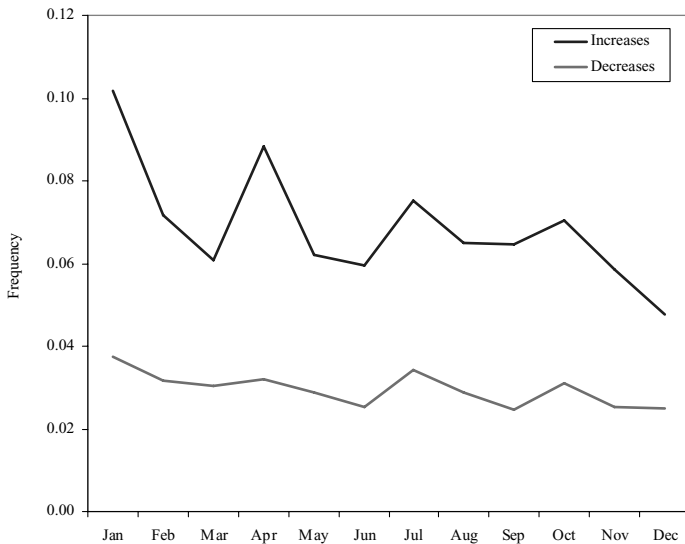
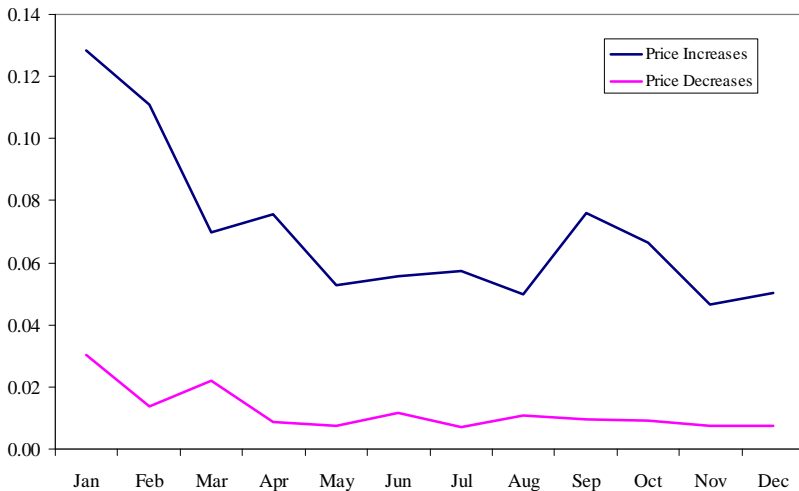


FIGURE V
Frequency of Regular Price Increases and Decreases by Month
for Consumer Prices

Source: Nakamura and Steinsson (2008)

Figure 19: Frequency of Regular Price Increases and Decreases by Month for Finished Producer Goods



The figure plots the weighted median frequency of price increase and decrease by month.

Source: Nakamura and Steinsson (2008 Supplement)

- How should we treat temporary sales?
- How does heterogeneity in price rigidity matter?
- Are all price changes selected?
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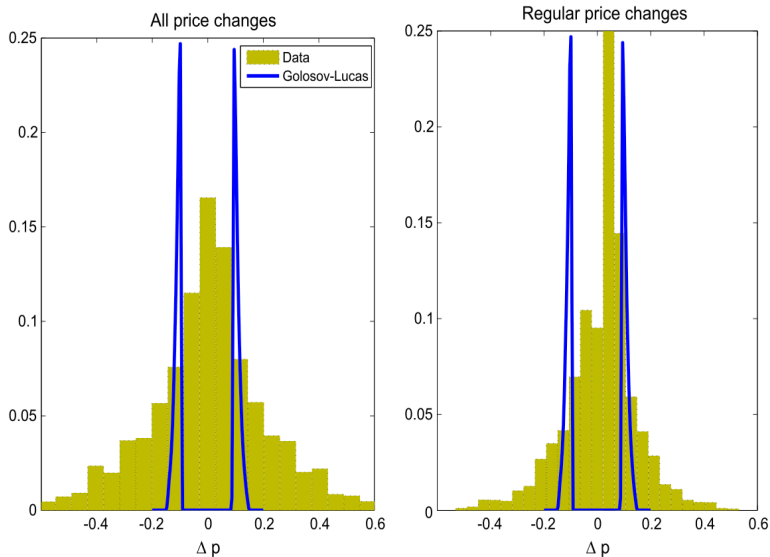
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- Suppose we instead assume shocks are either tiny or huge i.e., that they have huge kurtosis
- In the limit, model becomes much like Calvo
- Midrigan evidence:
 - Size of price changes dispersed
 - Many small price changes
 - Coordination of timing of price changes within category

Distribution of p changes: Data vs. GL model



Source: Midrigan (2011)

Two changes to Golosov-Lucas model:

- Leptokurtic distribution of idiosyncratic shocks
- Returns to scale in price adjustment

Two changes to Golosov-Lucas model:

- Leptokurtic distribution of idiosyncratic shocks
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- Selection effect much smaller.
- Model yields similar conclusions as Calvo model

Alvarez-Le Bihan-Lippi 15:

- In a wide class of models ...
(Calvo, Taylor, Golosov-Lucas, Reis, Midrigan, etc.)
- Cumulative output effect of money shock:

$$\mathcal{M} = \frac{\delta}{6\epsilon} \frac{\text{Kur}(\Delta p_i)}{\text{N}(\Delta p_i)}$$

- δ size of monetary shock
- $1/\epsilon - 1$ Frisch elasticity of labor supply
- $\text{Kur}(\Delta p_i)$ kurtosis of size distribution of price changes
- $\text{N}(\Delta p_i)$ frequency of price change

SUFFICIENT STATISTIC FOR REAL EFFECTS

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- $\text{Kur}(\Delta p_i)$ kurtosis of size distribution of price changes
- $\text{N}(\Delta p_i)$ frequency of price change
- Obviously, there are some simplifying assumptions
(e.g., unit root shock, no inflation, no strategic complementarity, etc.)

KURTOSIS IS KEY

$$\mathcal{M} = \frac{\delta}{6\epsilon} \frac{\text{Kur}(\Delta p_i)}{\text{N}(\Delta p_i)}$$

- Kurtosis in Calvo model is 6
- Kurtosis in Golosov-Lucas model is 1

MEASURING KURTOSIS

Kurtosis is hard to measure!!

- Heterogeneity:
 - Mixture of distributions with different variances but same kurtosis will have higher kurtosis
 - Authors divide by standard deviation at category level
- Measurement errors:
 - Standard to drop large observations. Kurtosis very sensitive to this!!
 - Authors drop largest 1% of price changes
 - Spurious small price changes also a problem (product not held constant, coupons)
 - Authors drop price changes that are smaller than 1 cent or 0.1%

Distinction between time-dependent and state-dependent pricing models important for key questions:

- Degree of monetary non-neutrality
- Costs of inflation

CALVO VERSUS MENU COSTS

Distinction between time-dependent and state-dependent pricing models important for key questions:

- Degree of monetary non-neutrality
- Costs of inflation

Which class of models does the evidence favor?

CALVO VERSUS MENU COSTS

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- Menu cost model implies that frequency increases

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- Menu cost model implies that frequency increases
- Empirical Strategy: Measure how frequency changes as inflation changes
 - Gagnon 09: Mexico 1994-2002 (Tequila crisis)
 - Nakamura-Steinsson-Sun-Villar 18: U.S. 1978-2014 (Great Inflation/Volcker disinflation)
 - Alvarez-Baraja-Gonzalez-Rozada-Neumeyer 19: Argentina 1988-1997 (Hyperinflation /Stabalization)

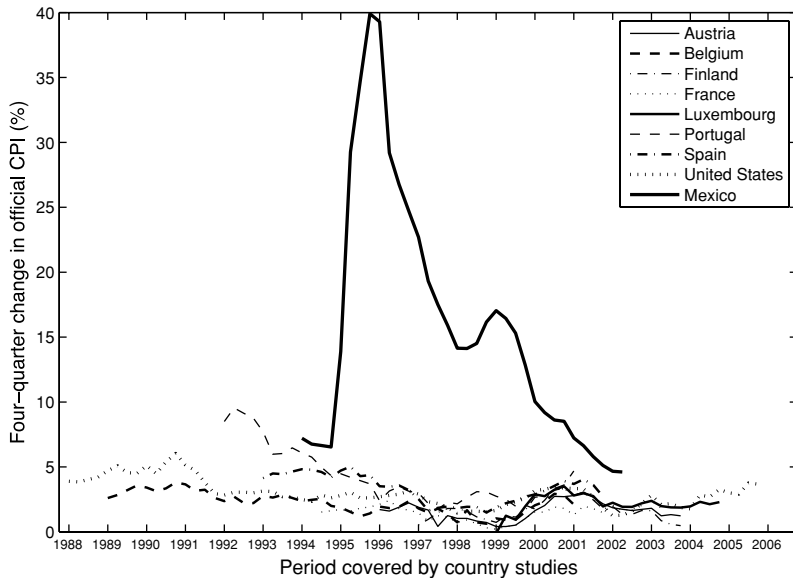
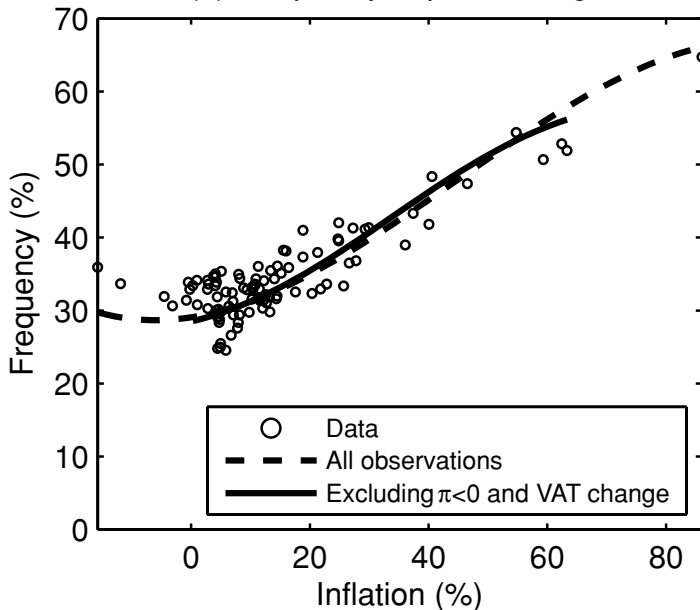


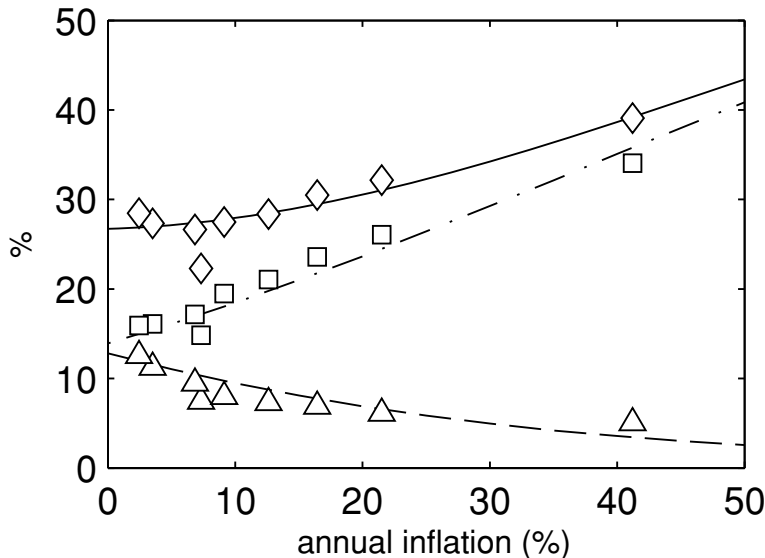
FIGURE I
Inflation and Time Coverage of U.S., Euro-Area, and Mexican CPI Studies
Source: Gagnon (2009)

(a) Frequency of price changes



Source: Gagnon (2009)

a) Frequency all items



Source: Gagnon (2009). Diamonds: data on changes. Boxes: data on increases. Triangles: data on decreases. Lines: corresponding statistics from model.

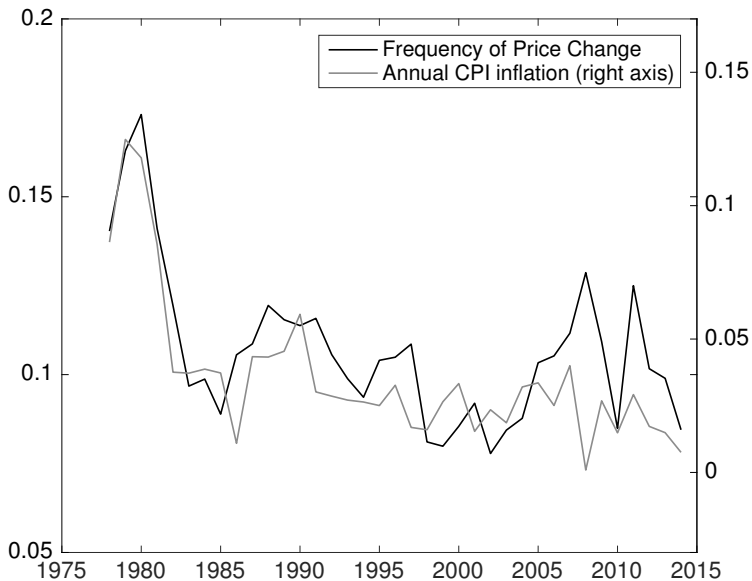


Figure 12: Frequency of Price Changes in U.S. Data

Source: Nakamura-Steinsson-Sun-Villar (2018)

ALVAREZ ET AL. (2019): THEORETICAL RESULTS

At zero inflation:

- Derivative of frequency = 0
- Derivative of price dispersion = 0
- Inflation 9/10th due to “extensive margin”

$$\pi = \lambda^+ \Delta^+ - \lambda^- \Delta^-$$

ALVAREZ ET AL. (2019): THEORETICAL RESULTS

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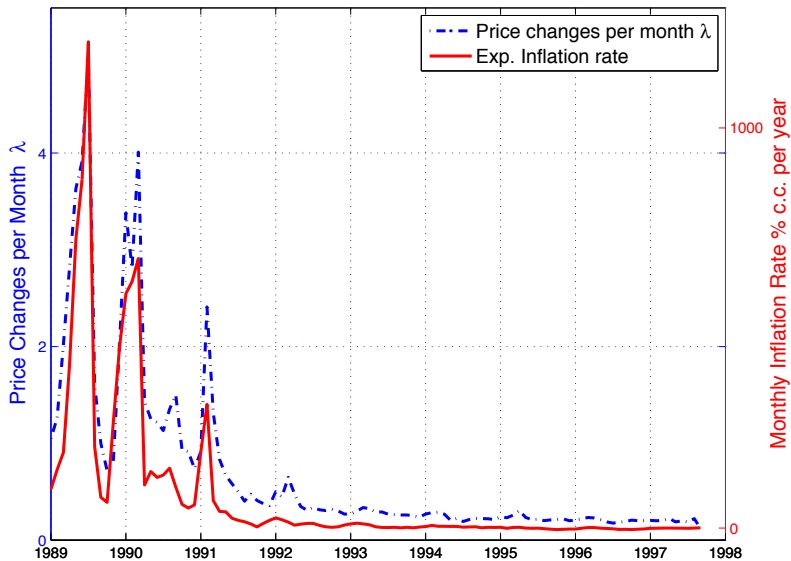
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At high inflation:

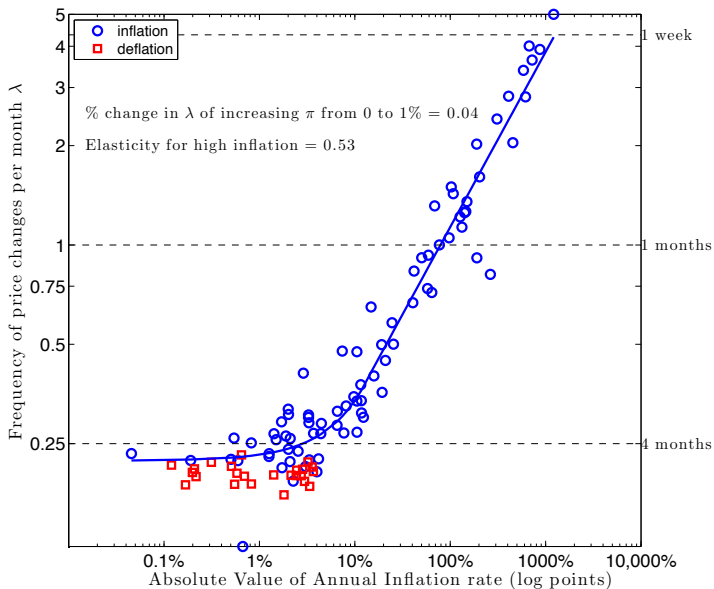
- Elasticity of frequency with inflation equal to 2/3
- Elasticity of dispersion with inflation equal to 1/3

Figure 5: Estimated Frequency of Price Changes λ and Expected Inflation



Source: Alvarez-Beraja-Gonzalez-Rozada-Neumeyer (2019)

Figure 6: The Frequency of Price Changes (λ) and Expected Inflation.



Source: Alvarez-Beraja-Gonzalez-Rozada-Neumeyer (2019)

HAVE PRICES BECOME MORE FLEXIBLE?

- Large changes in technology over past 40 years
- Perhaps costs of changing prices have fallen?
- This would make price changes more frequent

HAVE PRICES BECOME MORE FLEXIBLE?

- Large changes in technology over past 40 years
- Perhaps costs of changing prices have fallen?
- This would make price changes more frequent
- However, evolution of frequency of price (excluding sales) change can be explained by menu cost model with a constant menu cost over entire sample period
- Regular prices have not become more flexible

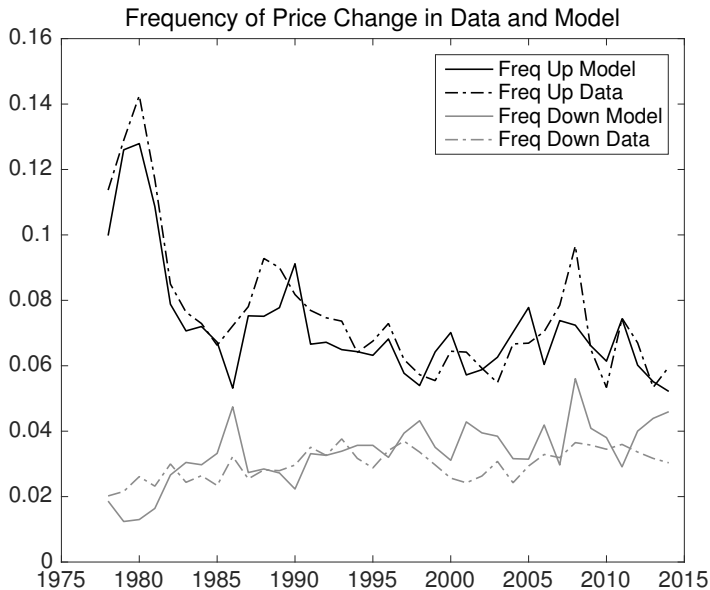


Figure 14: Predicted and Actual Frequency of Price Changes

Source: Nakamura-Steinsson-Sun-Villar (2018)

OPTIMAL LEVEL OF INFLATION

What level of inflation should central banks target?

- Pre-crisis policy consensus to target roughly 2% inflation per year
- Academic studies argued for still lower rates
(Schmitt-Grohe and Uribe, 2011; Coibion et al., 2012)

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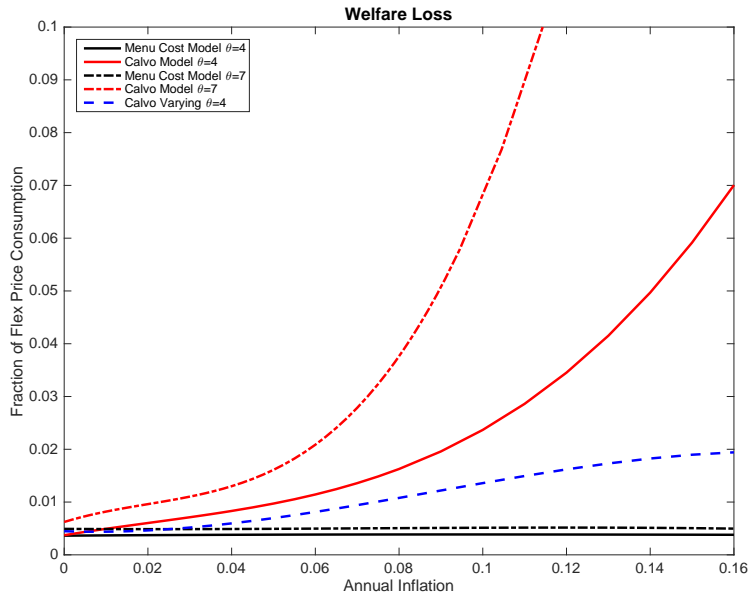
- Pre-crisis policy consensus to target roughly 2% inflation per year
- Academic studies argued for still lower rates
(Schmitt-Grohe and Uribe, 2011; Coibion et al., 2012)
- Great Recession has lead to increasing calls for higher inflation targets
 - Blanchard, Dell'Ariccia, Mauro (2010), Ball (2014), Krugman (2014)
 - Blanco (2015)

PRICE DISPERSION AND THE COSTS OF INFLATION

- Higher inflation will lead to higher price dispersion
 - Prices will drift further from optimum between times of adjustment
 - Distorts allocative role of the price system

PRICE DISPERSION AND THE COSTS OF INFLATION

- Higher inflation will lead to higher price dispersion
 - Prices will drift further from optimum between times of adjustment
 - Distorts allocative role of the price system
- In standard New Keynesian models, these costs are very large
 - Going from 0% to 12% inflation per year yields a 10% loss of welfare
- Much more costly than business cycle fluctuations in output in these same models



- Measure sensitivity of inefficient price dispersion to changes in inflation

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Challenges:

1. Very limited variation in inflation over last 30 years!

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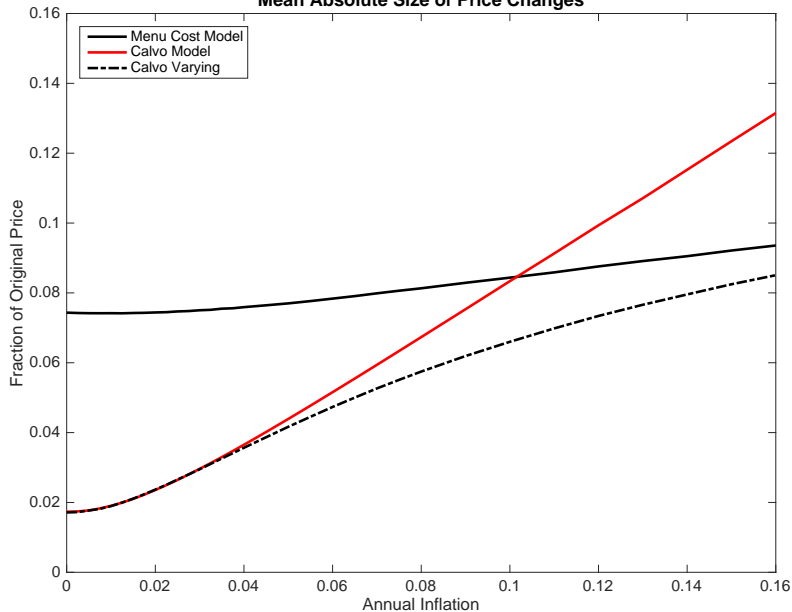
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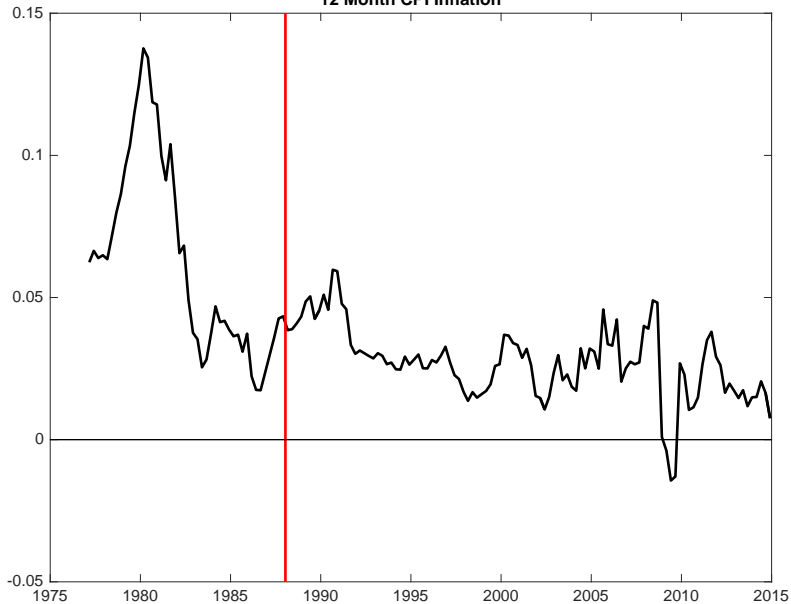
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2. Difficulty in interpreting raw price dispersion
 - Heterogeneity in size and quality of products
 - Absolute size of price changes informative about inefficient price dispersion

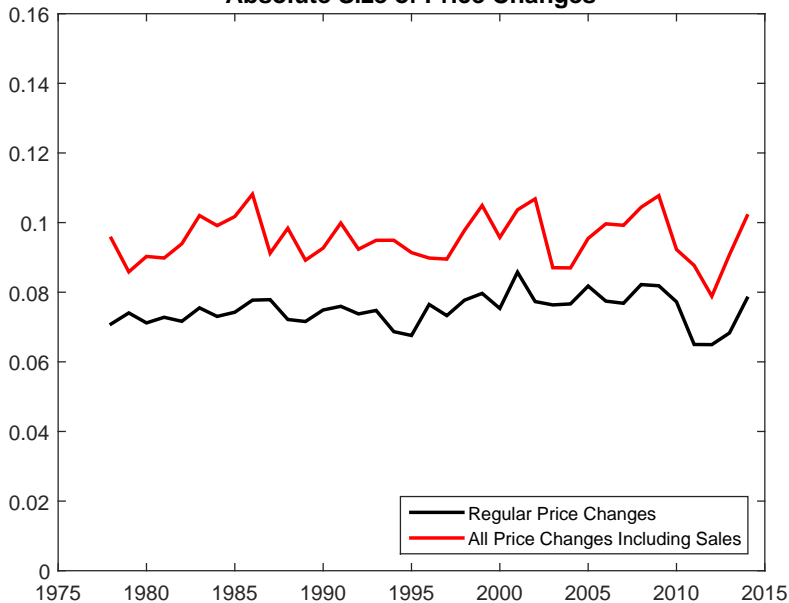
Mean Absolute Size of Price Changes



12 Month CPI Inflation



Absolute Size of Price Changes



- No evidence that absolute size of price changes rose during Great Inflation
- Suggests inefficient price dispersion not any higher during Great Inflation
- Costs of inflation emphasized in New Keynesian models elusive